

OPTIMAL SPATIAL TAXATION ARE BIG CITIES TOO SMALL?

Jan Eeckhout* and Nezhir Guner&

*University College London, Barcelona GSE-UPF
&ICREA-MOVE, Autònoma, and Barcelona GSE

Wharton
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MOTIVATON

- Local labor markets (cities):
 1. Urban wage premium
 2. Location choice (size) determines prices (wages, housing)
- Ex ante identical agents → ex post heterogeneous

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 1. Urban wage premium
 2. Location choice (size) determines prices (wages, housing)
 - Ex ante identical agents → ex post heterogeneous
 - Government needs to raise revenue G :
 - Location choice responds to tax rate in local labor market
 - Tax cities differentially? Flat (proportional)? Lump sum?
- Propose GE model and estimate optimal income tax schedule

MOTIVATION

EXISTING FEDERAL INCOME TAXES

- Federal Taxes affect workers of **same skill** differentially
 1. Urban Wage Premium
 2. Progressive Taxation
- Average tax rate: 5% points difference *at median* income:

MOTIVATION

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	Labor Force	Wage level	Avg. Tax Rate
New York	9 million	1.5	19.0%
Asheville, NC	130,000	1	14.0%

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- Due to mobility: no redistribution \Rightarrow same skills, same utility
- \therefore Focus on taxing ex ante **identical** agents

MOTIVATION

- Taxes affect identical agents differently across cities
 - ⇒ In equilibrium: affects location decision
- Policy Question: Optimal Taxation across local labor markets
 - Are big cities *too small/too big*?

FINDINGS

REPRESENTATIVE AGENT ECONOMY

- Optimal Ramsey Tax rates in big cities:
 - relatively decreasing in Gvt spending G
 - relatively increasing in concentration of housing wealth
- For the US, benchmark economy:
 - Optimal tax higher in big cities (but lower than current)
 - Would lead to big relocation and output gain (6.9%)
 - Moderate welfare gain

RELATED WORK

- Literature:
 - Impact of income taxation: Wildasin (1980), Glaeser (1998), Kaplow (1995), Knoll-Griffith (2003)
 - Quantitative: Albouy (2009), Albouy-Seegert (2010)
- Main difference: general equilibrium
- Prices, quantities (housing, consumption, population) are endogenous

MODEL

MODEL

- J cities, size l_j with $\mathcal{L} = \sum_j l_j$
- Preferences:

$$u(c, h) = a_j l_j^\delta c^{1-\alpha} h^\alpha$$

a_j : amenities; l_j^δ are congestion costs

- Mobility \Rightarrow utility equalization:

$$u(c_j, h_j) = u(c_{j'}, h_{j'}), \quad \forall j, j'$$

- Production:

$$y_j = A_j l_j^\gamma \Rightarrow w_j = A_j l_j^{\gamma-1}$$

- Market clearing: $\sum_j l_j = \mathcal{L}$ and $h_j l_j = H_j$

MODEL

TAX SCHEDULE

- Pre tax income w ; after tax income \tilde{w}
- To estimate US tax schedule (Heathcote-Storesletten-Violante 2012, and Bénabou 2002):

$$\tilde{w}_j = \lambda w_j^{1-\tau}$$

- $\tau = 0$: proportional; $\tau > 0$: progressive; $\tau < 0$: regressive
- US, estimated $\tau \approx 0.12$
- Taxes are used to finance government spending G
- $T^G = \phi \frac{G}{\mathcal{L}}$: fraction ϕ is transferred to households

MODEL

HOUSING PRODUCTION

- On average: land value 30%, construction 70% of housing
→ land from 25% (small) to 50% (big cities)
- Housing supply in city j (with K_j capital, L_j land)

$$H_j = B \left[(1 - \beta)K_j^\rho + \beta L_j^\rho \right]^{1/\rho},$$

- Representative competitive firm in each city maximizes profits

MODEL

OWNERSHIP OF HOUSING

- Housing value: 24% of output
 - Construction cost (17%): foregone consumption
 - Land value (7%): transfer
- Ownership distribution of housing is key to results
- Income from land is redistributed to the households:

$$T_j = (1 - \psi) \frac{\sum_j r_j L_j}{\sum_j l_j}$$

ψ captures concentration of land wealth

- $\psi = 0$: households hold perfectly diversified housing portfolio
- $\psi = 1$: all housing is held by zero measure landlords

MODEL

OWNERSHIP OF HOUSING

- Model housing as an asset traded after policy impact
- But only at extreme cases
- Complication for more general setup: heterogeneity
 1. Initial distribution matters
 2. Trading assets \Rightarrow ex post heterogeneity

EQUILIBRIUM ALLOCATION

EQUILIBRIUM ALLOCATION

THE HOUSEHOLD PROBLEM

- Households solve:

$$\begin{aligned} \max_{\{c_j, h_j\}} u(c_j, h_j) &= a_j l_j^\delta c_j^{1-\alpha} h_j^\alpha \\ \text{s.t. } c_j + p_j h_j &\leq \tilde{w}_j + T_j + T^G \end{aligned}$$

$$\Rightarrow p_j h_j = \alpha(\tilde{w}_j + T_j + T^G)$$

- the indirect utility is:

$$u_j = a_j [(1 - \alpha)^{1-\alpha}] (\tilde{w}_j + T_j + T^G)^{1-\alpha} l_j^{\delta-\alpha} H_j^\alpha.$$

EQUILIBRIUM ALLOCATION

HOUSING PRODUCTION

- The firm maximizes its profits by choosing K_j and L_j

$$\max_{K_j, L_j} p_j B[(1 - \beta)K_j^\rho + \beta L_j^\rho]^{1/\rho} - r_j L_j - r^K K_j$$

(p_j housing price, r_j land rental price, r^K capital rental price)

- Set $r^K = 1$. Free entry + FOC's
 \Rightarrow the equilibrium housing supply is

$$h_j = B \left[(1 - \beta) \left(\frac{1 - \beta}{\beta} r_j \right)^{\frac{\rho}{1-\rho}} + \beta \right]^{1/\rho} L_j$$

EQUILIBRIUM ALLOCATION

WORKER MOBILITY

- Workers must be indifferent between locations j and j'

$$u_j = u_{j'}$$

- Normalize $a_1 = 1$, so

$$a_j = \frac{(\tilde{w}_1 + T_1 + T^G)^{1-\alpha} l_j^{\alpha-\delta} \left[(1-\beta) \left(\frac{1-\beta}{\beta} r_1 \right)^{\frac{\rho}{1-\rho}} + \beta \right]^{\alpha/\rho} L_1^\alpha}{(\tilde{w}_j + T_j + T^G)^{1-\alpha} l_1^{\alpha-\delta} \left[(1-\beta) \left(\frac{1-\beta}{\beta} r_j \right)^{\frac{\rho}{1-\rho}} + \beta \right]^{\alpha/\rho} L_j^\alpha}$$

after using indirect utility and equilibrium housing supply.

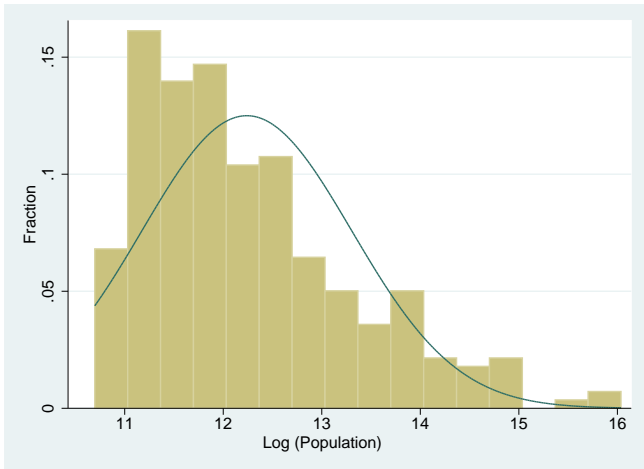
QUANTITATIVE EXERCISE

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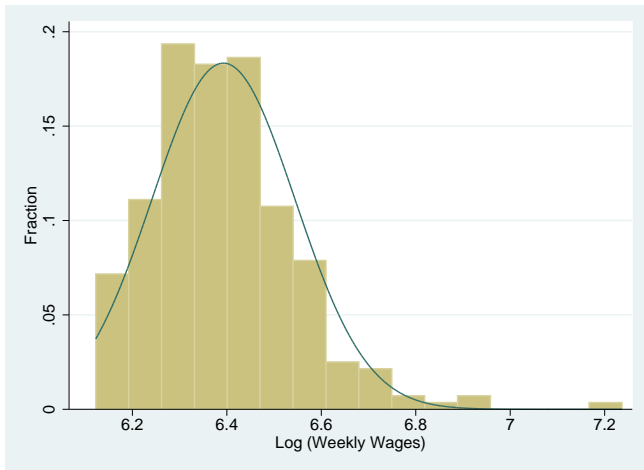
BENCHMARK ECONOMY – DATA

- Take w_j and l_j from the data. Set $\gamma = 1$, so $A_j = w_j$
- 2013 CPS. 264 MSAs. Age 16+ in labor force
- The average labor force is 484,373
max: NY, 9.3 million; min: Bowling Green, KY, 37,000
- Average weekly wages is \$645
max: 70% above mean (Sante Fe, NM); half (Amarillo, TX)

SIZE DISTRIBUTION (LABOR FORCE)



WAGE DISTRIBUTION



QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – TAXES

- The relation between after and before taxes

$$\tilde{w}_j = \lambda w_j^{1-\tau}$$

- Use the OECD tax-benefit calculator: $\lambda = 0.85, \tau = 0.12$
 - λ : Personal + Soc. Sec.: Robustness, $\lambda = 0.9$ and 0.815
 - τ : Robustness, $\tau = 0.053$ and 0.2

w	0.5	1	2	5
average tax rate	11.4%	15%	25%	32.8%

- We set $\phi = 0.5$ (half of tax revenue are transfers)

QUANTITATIVE EXERCISE

BENCHMARK ECONOMY - PREFERENCE PARAMETERS

- Housing Exp. 24% (Davis,Ortalo-Magné) $\Rightarrow \alpha = \frac{0.24}{\lambda} = 0.282$
- Commuting cost elasticity $\delta = -0.1$
 - \rightarrow Kahn (2010): the joint effect of commuting time (opportunity wage cost) and direct commuting cost (transportation)
- Asset distribution: $\psi = 0.5$

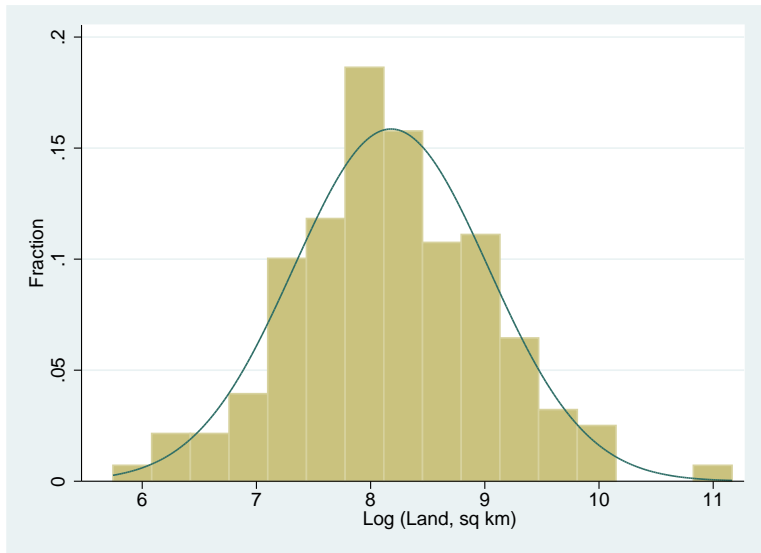
QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – CALIBRATION

- Need to determine $\{\beta, \rho, B, L_j, a_j\}$.
- Select β and ρ such that:
 1. average share of land in housing cost is 0.3
 2. land share $\in [0.15, 0.5]$ across MSA
(Davis-Palumbo (2007), Albouy-Ehrlich (2012))
- B such that $h = 200 \text{ m}^2$ (average across MSAs)
- Use **observed** land area L_j (average across MSAs 5000 km^2)

QUANTITATIVE EXERCISE

LAND AREAS



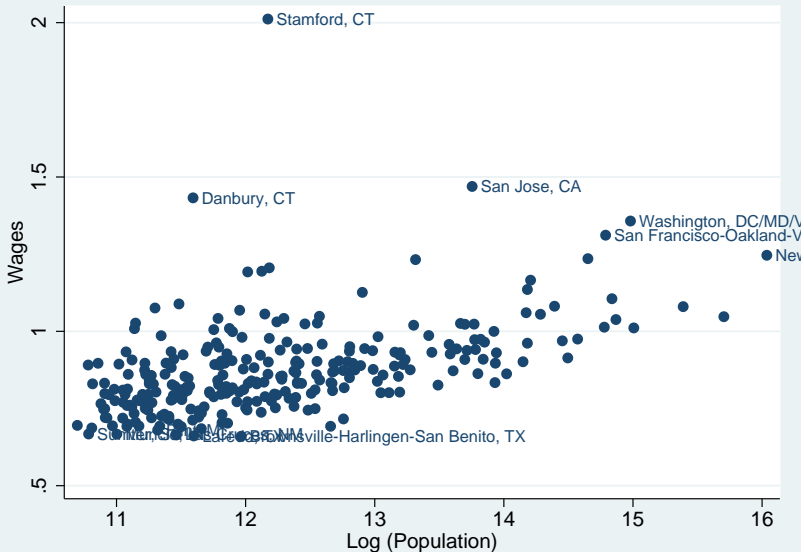
QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – CALIBRATION

- Find a_j from utility equalization
- Benchmark Economy. Procedure:
 1. $A_j = w_j$ (FOC) and l_j from data
 2. given λ and τ , find $\{p_j, r_j, H_j, a_j, c_j, h_j, T_j\}$ such that l_j 's are equilibrium allocations

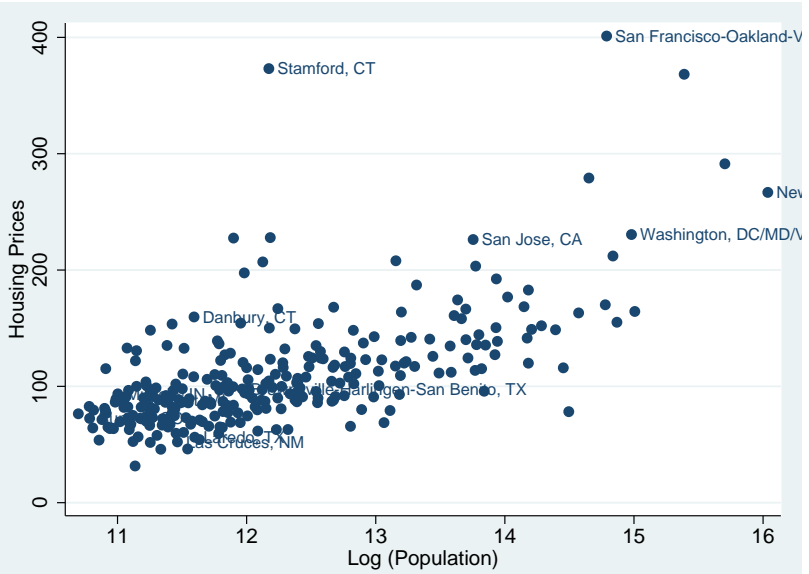
QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – WAGES (OBSERVED)



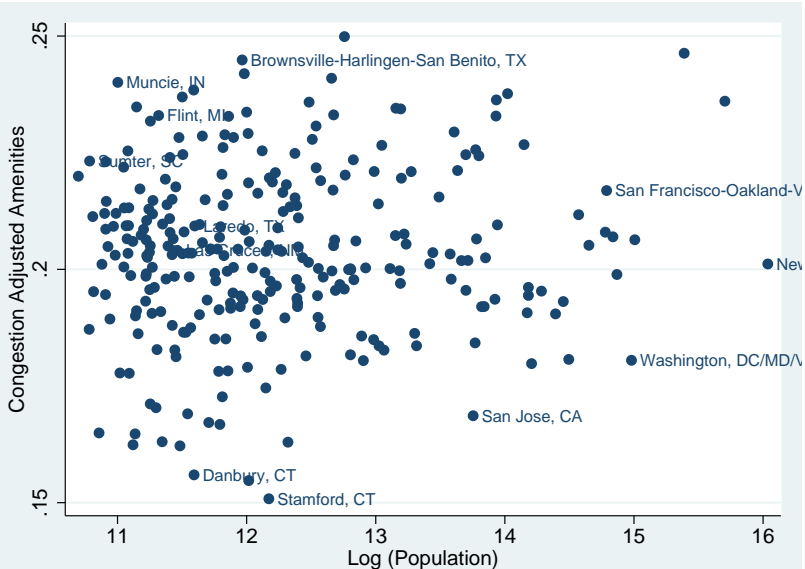
QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – HOUSING PRICES



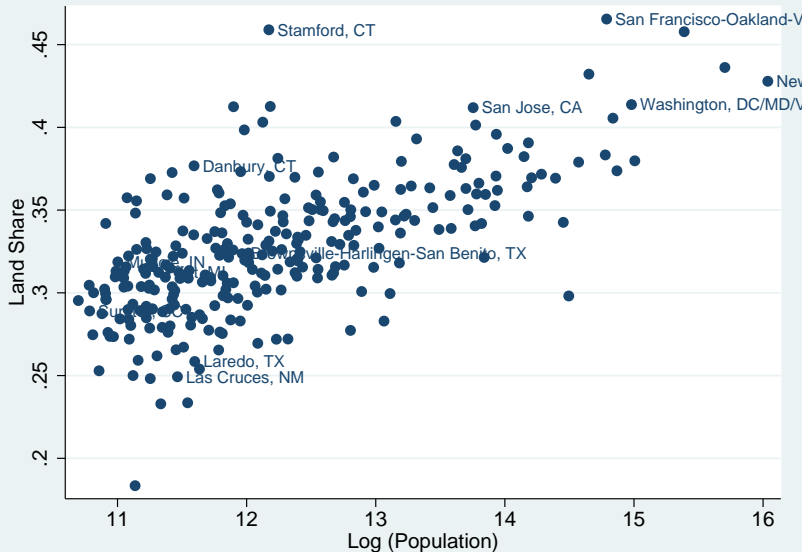
QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – AMENITIES



QUANTITATIVE EXERCISE

BENCHMARK ECONOMY – LAND SHARE IN THE VALUE OF HOUSING

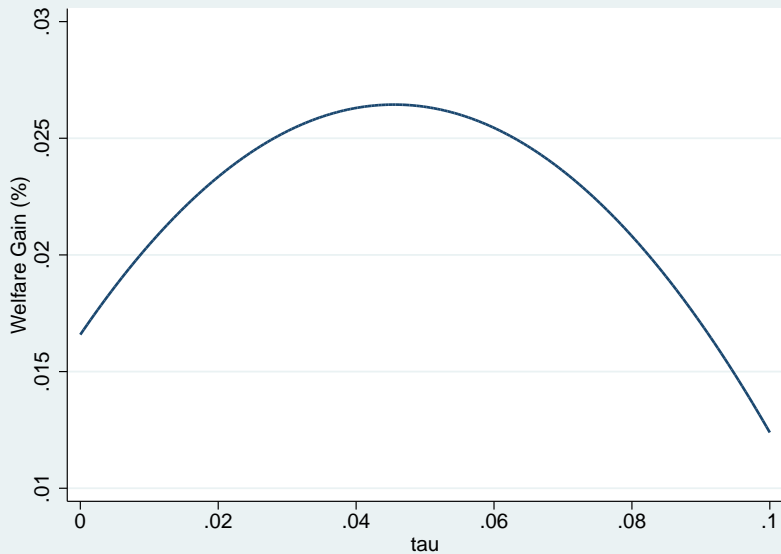


QUANTITATIVE EXERCISE

OPTIMAL TAXATION

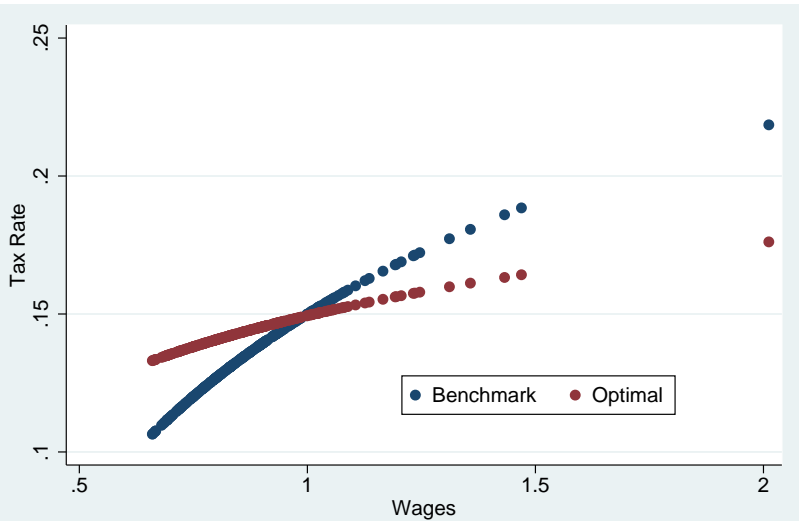
- Given A_j and a_j from the benchmark economy, calculate:
 1. new equilibrium allocation $\{l_j, c_j, h_j, T_j, H_j\}$
 2. prices $\{p_j, r_j\}$for different λ, τ (λ such that revenue neutral)
- Select τ^* that maximizes utility

OPTIMAL TAX SCHEDULE τ



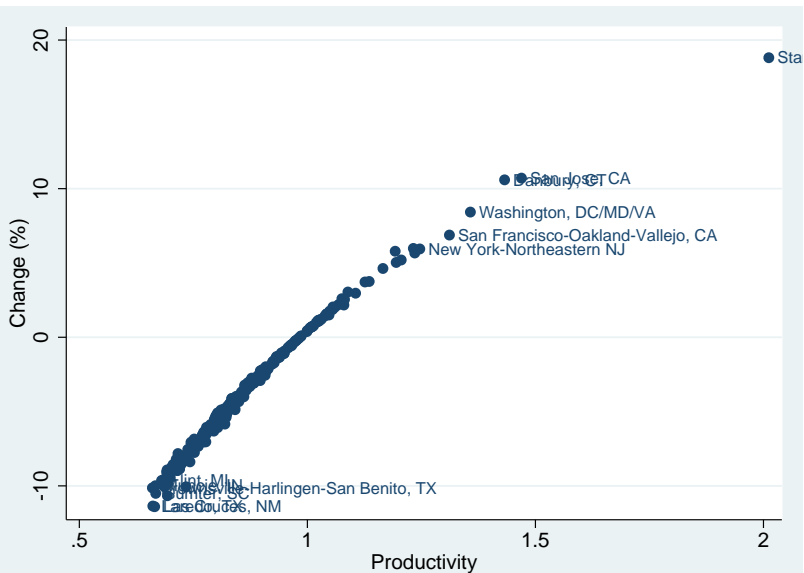
TAX SCHEDULES

ACTUAL VS. OPTIMAL

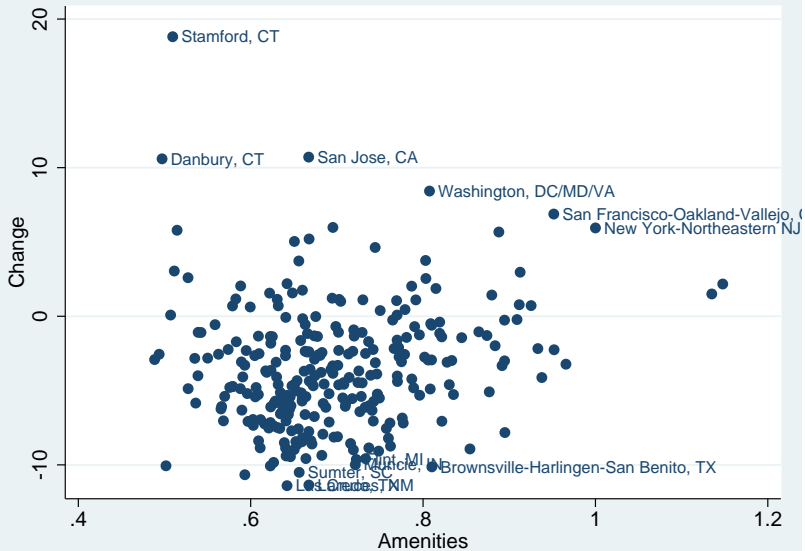


SIMULATION: $\tau^* = 0.046$

CHANGE IN LABOR FORCE – PRODUCTIVITY

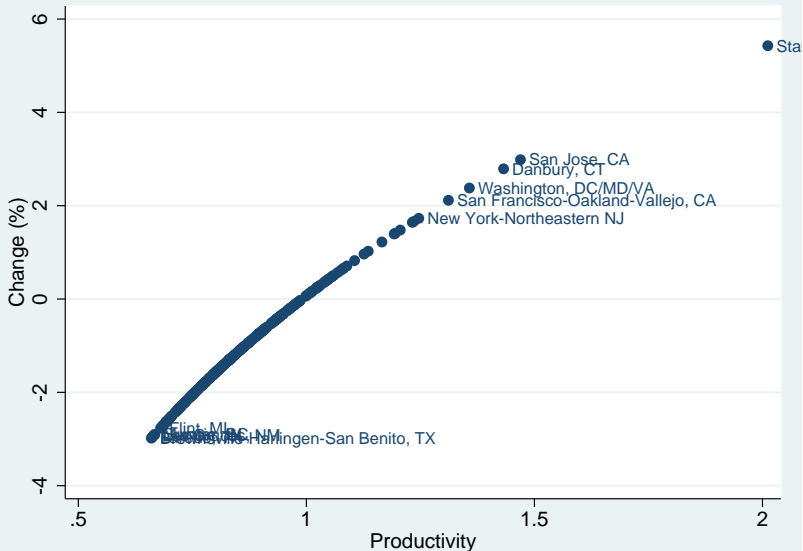


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CHANGE IN LABOR FORCE – AMENITIES



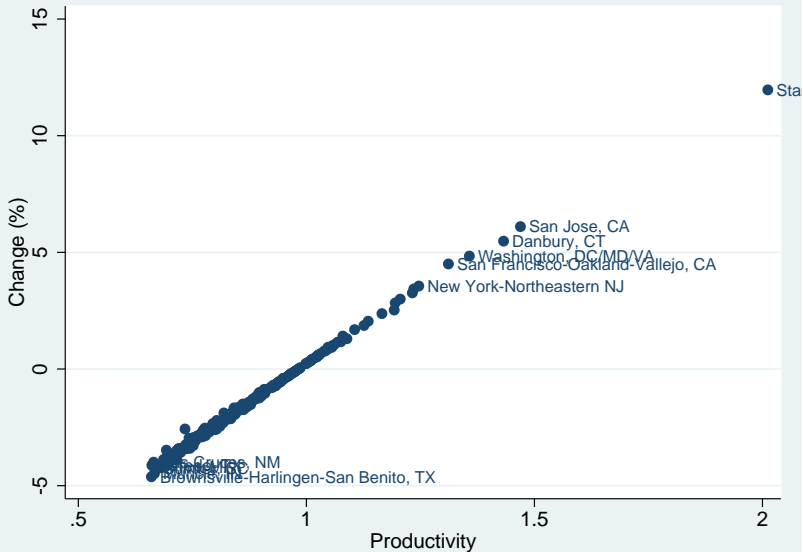
SIMULATION: $\tau^* = 0.046$

CHANGE IN AFTER-TAX WAGES



SIMULATION: $\tau^* = 0.046$

CHANGE IN HOUSING PRICES

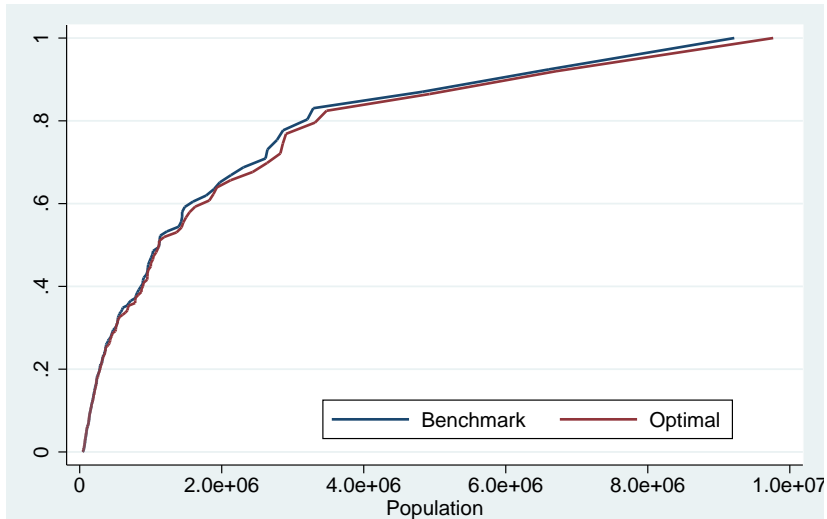


OUTCOMES FOR SELECTED CITIES

MSA	<i>A</i>	<i>a</i>	$\% \Delta l$	$\% \Delta p$	$\% \Delta c$	$\% \Delta h$
Highest <i>A</i>						
Stamford, CT	2.01	0.51	18.8	12.0	5.1	-6.2
San Jose, CA	1.47	0.67	10.7	6.1	2.8	-3.2
Danbury, CT	1.43	0.50	10.6	5.5	2.6	-2.8
Lowest <i>A</i>						
Las Cruces, NM	0.67	0.64	-11.4	-4.0	-2.3	1.8
Laredo, TX	0.66	0.67	-11.4	-4.1	-2.3	1.9
Brownsville, TX	0.66	0.81	-10.1	-4.6	-2.3	2.4
Highest <i>a</i>						
Chicago, IL	1.08	1.15	2.2	1.4	0.6	-0.8
Los Angeles-Long Beach, CA	1.05	1.13	1.5	0.9	0.4	-0.5
New York-Northeast NJ	1.25	1.00	5.9	3.6	1.6	-1.9
Lowest <i>a</i>						
Danbury, CT	1.43	0.50	10.6	5.5	2.6	-2.8
Grand Junction, CO	0.91	0.49	-2.6	-0.9	-0.5	0.4
Houma-Thibodoux, LA	0.9	0.49	-2.9	-1.0	-0.6	0.5

SIMULATION: $\tau^* = 0.046$

CITY SIZE DISTRIBUTION



AGGREGATE OUTCOMES

OPTIMAL $\tau^* = 0.046$

Outcomes	Benchmark
Optimal τ	0.046
Output gain (%)	6.92
Population top 5 cities (%)	3.85
Fraction population that moves (%)	1.67
Change in average prices (%)	2.55
Welfare gain (%)	0.026

OPTIMAL SPATIAL TAX

OPTIMAL SPATIAL TAX

CONSTRAINED OPTIMAL: RAMSEY TAXES

- 2 cities, no gvt. transfers, congestion, amenities, housing prod.
- The Ramsey planner's problem is:

$$\begin{aligned} & \max_{\{t_j\}} \sum_j u_j l_j \\ \text{s.t. } & \sum_j A_j t_j l_j^\gamma = G, \quad u_j = u_{j'}, \quad \sum_j l_j = \mathcal{L} \end{aligned}$$

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- For any ψ , the optimal taxes $\exists G^*$ such that:
 - for $G < G^*$: optimal Ramsey tax higher in big city;
 - for $G > G^*$: optimal Ramsey tax lower in big city

CONSTRAINED OPTIMAL: RAMSEY TAXES

ROLE OF G

- G is source of inefficiency (disappears from the economy)
- $G \uparrow \Rightarrow$ tax more productive city less
- Productive resources to pay G : efficient from work in big city
 $\rightarrow G \uparrow \Rightarrow$ optimal urbanization \uparrow

CONSTRAINED OPTIMAL: RAMSEY TAXES

EQUAL HOUSING BOND: $\psi = 0$

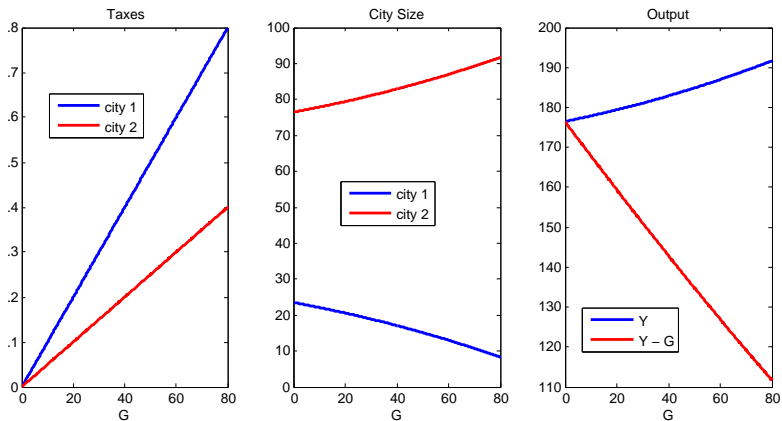


FIGURE : A. Optimal taxes t_1, t_2 ; B. Population l_1, l_2 ; C. Output.
($A_1 = 1, A_2 = 2, \mathcal{L} = 100, \alpha = 0.31, \psi = 0$)

CONSTRAINED OPTIMAL: RAMSEY TAXES

ZERO MEASURE LANDLORDS: $\psi = 1$

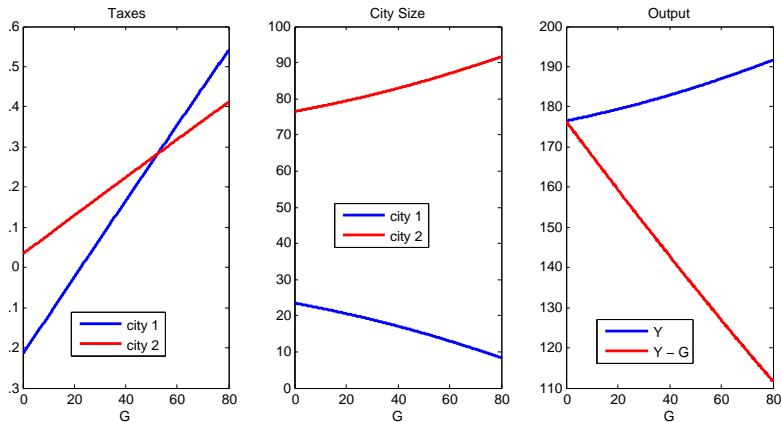


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CONSTRAINED OPTIMAL: RAMSEY TAXES

ZERO MEASURE LANDLORDS

- When land ownership is concentrated
 - No effect on productivity
- More people in big cities \Rightarrow higher value of land (no value to utilitarian planner)
 - $\psi \uparrow \Rightarrow$ optimal urbanization \downarrow

CONSTRAINED OPTIMAL: RAMSEY TAXES

BENCHMARK: $\psi = 0.5$

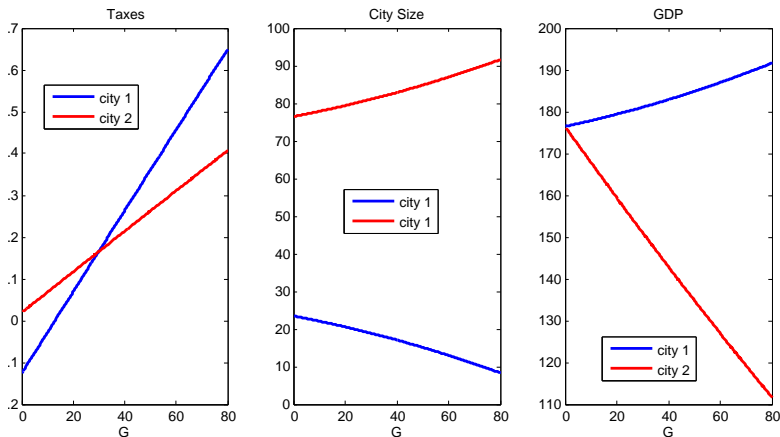


FIGURE : A. Optimal taxes t_1, t_2 ; B. Population l_1, l_2 ; C. Output.
($A_1 = 1, A_2 = 2, \mathcal{L} = 100, \alpha = 0.31, \psi = 0.5$)

OPTIMAL SPATIAL TAX

UNCONSTRAINED OPTIMAL

- The planner chooses the bundles l_j, c_j, h_j to maximize Utilitarian welfare:

$$\max_{l_j, c_j, h_j} \sum_j c_j^{1-\alpha} h_j^\alpha l_j$$

$$\text{s.t. } \sum_j c_j l_j + \sum_j K_j + G = \sum_j A_j l_j, \quad h_j l_j = H_j, \quad \sum_j l_j = \mathcal{L}.$$

- Solution:
 - Equate MU_j and MP_j (Ramsey: $MU, MP \neq$ across cities)
 - ⇒ Few in small city: unproductive, large consumption

OPTIMAL SPATIAL TAX

UNCONSTRAINED OPTIMAL

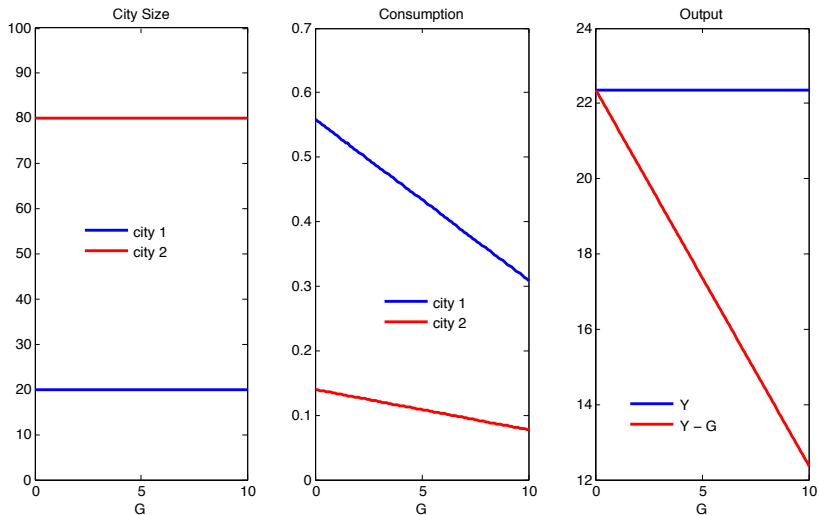


FIGURE : $A_1 = 1, A_2 = 2, \mathcal{L} = 100, \alpha = 0.31, u = c^{0.8}$:

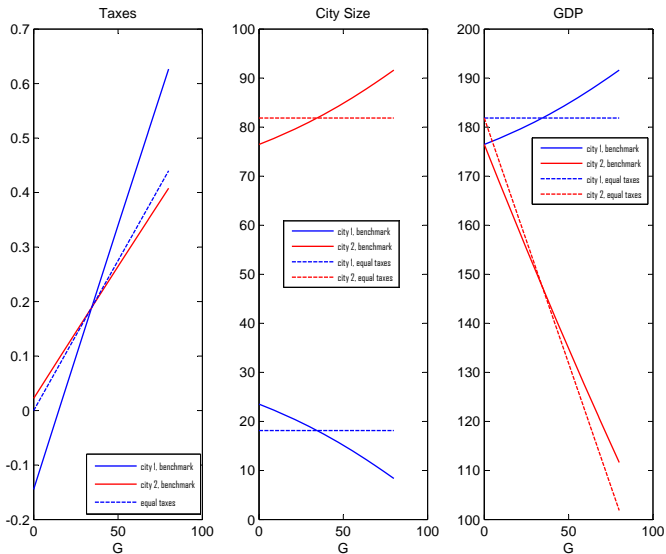
OPTIMAL SPATIAL TAX

LOTTERIES

- Constrained optimal: utility equal. \neq marginal utility equal.
With mobility (Ramsey): tradeoff productivity–utility (low G):
 - too little consumption in small cities
 - too little production in large cities
- Can we implement first best in this economy?
- Yes, with lotteries (as in labor supply - Rogerson)
- Maybe not in a static world, but over life cycle
- But:
 - What with those who live in NY MSA for their whole life?
 - Lottery with zero probability if $\gamma = 1...$

OPTIMAL SPATIAL TAX

SENSITIVITY: EQUAL TAXES



SENSITIVITY ANALYSIS

LAND OWNERSHIP I

Outcomes	Benchmark $\psi = 0.5$	All bond $\psi = 0$	All landlord $\psi = 1$
Optimal τ	0.046	-0.067	0.134
Output gain (%)	6.92	16.93	-1.31
Population top 5 cities (%)	3.85	9.04	-0.75
Fraction population that moves (%)	1.67	3.90	0.33
Change in average prices (%)	2.55	6.34	-0.47
Welfare gain (%)	0.026	0.14	0.001

SENSITIVITY ANALYSIS

LAND OWNERSHIP II

- Asset distribution to reflect owner occupied housing rate 67%
- Generates ex post heterogeneity
- Short cut (but land is not correctly priced!):

$$T_j = \theta \frac{r_j L_j}{l_j} + (1 - \theta) \frac{\sum_j r_j L_j}{\sum_j l_j}$$

instead of landlords: get equal share of land value in the city

- “as if” within city redistribution

SENSITIVITY ANALYSIS

LAND OWNERSHIP II

Outcomes	Benchmark $\psi = 0.5$	owner occupied $\theta = 0.67$
Optimal τ	0.046	0.061
Output gain (%)	6.92	5.78
Population top 5 cities (%)	3.85	3.23
Fraction population that moves (%)	1.67	1.40
Change in average prices (%)	2.55	2.16
Welfare gain (%)	0.026	0.018

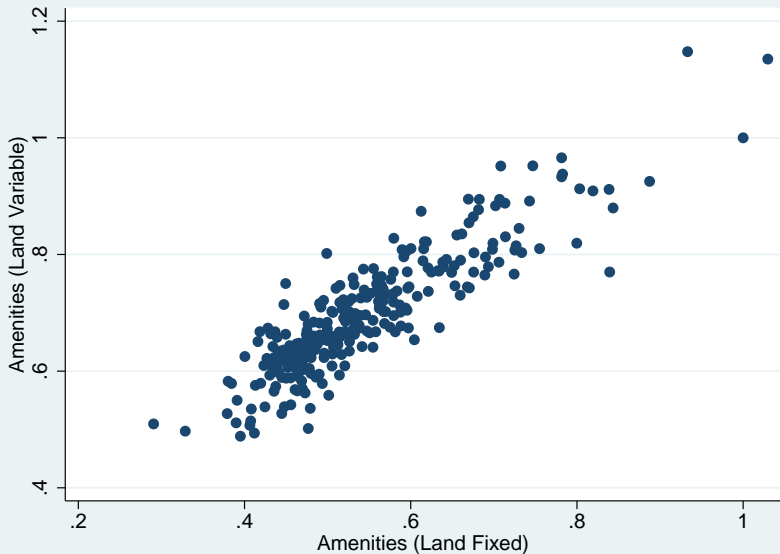
SENSITIVITY ANALYSIS

INITIAL TAX POLICY

		$\lambda = 0.9$			$\lambda = 0.85$			$\lambda = 0.815$		
	τ	0.053	0.12	0.2	0.053	0.12	0.2	0.053	0.12	0.2
Optimal τ^*		0.0092	0.0133	0.0153	0.0429	0.0457	0.0490	0.0969	0.0990	0.1010
Output gain (%)		3.78	9.50	16.98	0.91	6.92	14.53	-4.21	2.11	10.22
Pop top 5 (%)		2.13	5.23	9.07	0.52	3.85	7.83	-2.46	1.20	5.61
Pop moves (%)		0.93	2.26	3.91	0.23	1.67	3.38	1.07	0.52	2.43
Avg. prices (%)		1.40	3.53	6.30	0.33	2.55	5.34	-1.53	0.77	3.71
Welfare gain (%)		0.0082	0.0512	0.1499	0.0004	0.0264	0.1090	0.0103	0.0024	0.0520

SENSITIVITY ANALYSIS

FIXED LAND AREA (5000KM²)



SENSITIVITY ANALYSIS

FIXED LAND AREA (5000KM²)

Outcomes	Benchmark	Fixed Land Area
Optimal τ	0.046	0.059
Output gain (%)	6.92	5.17
Population change top 5 cities (%)	3.85	2.88
Fraction Population that Moves (%)	1.67	1.30
Change in average prices (%)	2.55	2.56
Welfare gain (%)	0.026	0.016

SENSITIVITY ANALYSIS

NO REBATE OF TAX REVENUE ($\phi = 0$)

Outcomes	Benchmark	No Tax Rebate
Optimal τ	0.046	0.045
Output gain (%)	6.92	7.43
Population change top 5 cities (%)	3.85	4.12
Fraction population that moves (%)	1.67	1.79
Change in average prices (%)	2.55	2.89
Welfare gain (%)	0.026	0.030

THE ROLE OF HETEROGENEITY

Heterogeneity in:

1. Housing asset holdings
 2. Skills: $\tau^{US} = 0.12$? Redistribution *heterogeneous* agents
- ⇒ Role of a city-specific tax

CONCLUDING REMARKS

- Federal Taxation can lead to spatial misallocation
 - Taxes location specific \Rightarrow **optimal Ramsey tax not flat**
 - Gvt. spending $G \uparrow \Rightarrow$ tax big city \downarrow
 - Asset concentration $\uparrow \Rightarrow$ tax big city \uparrow
 - US benchmark economy, optimal tax:
 1. Tax big cities more: $\tau^* \sim 0.04$ (less than current)
 2. Large effects on output (6.9%) and population (1.67%)
 3. Small effects on welfare
- \Rightarrow Big GE effects from gvt. spending and ownership structure

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*University College London, Barcelona GSE-UPF

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